



# **A New Approach to Evaluation of Long-Term Performance of Plastic Pipe**

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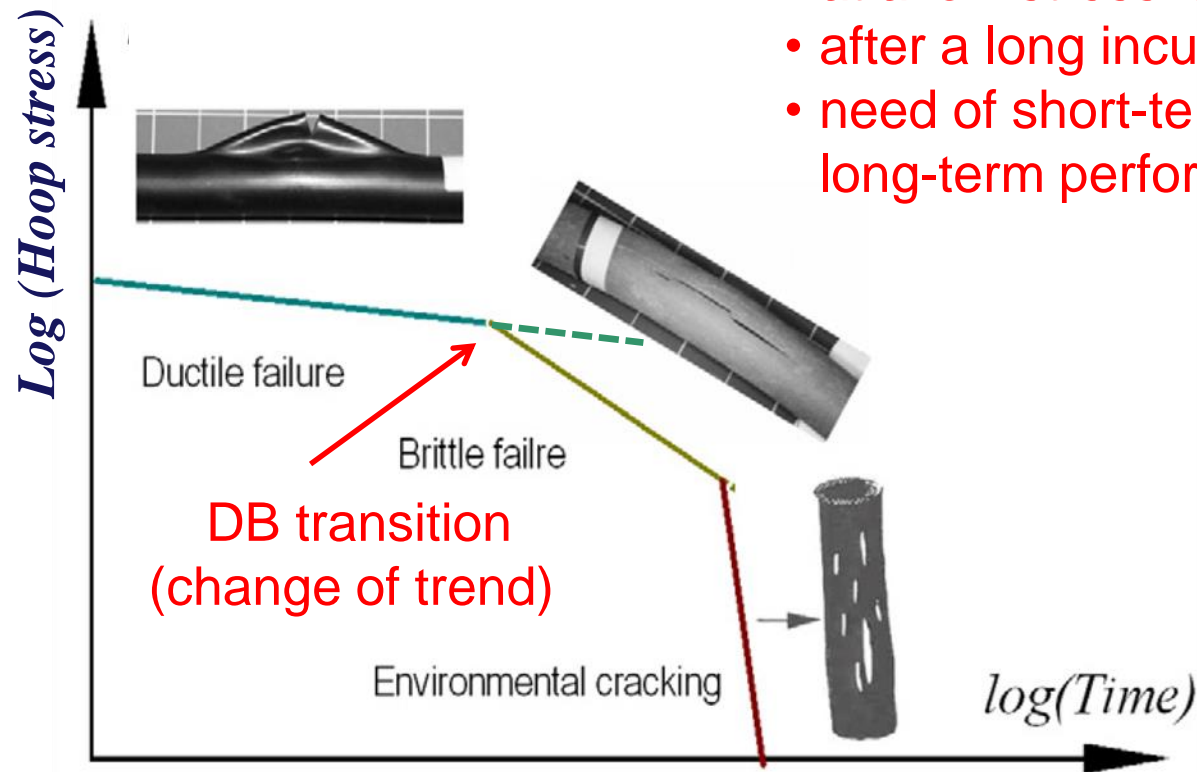
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## The challenges:

### An unusual ductile-brittle (DB) transition

#### Creep test

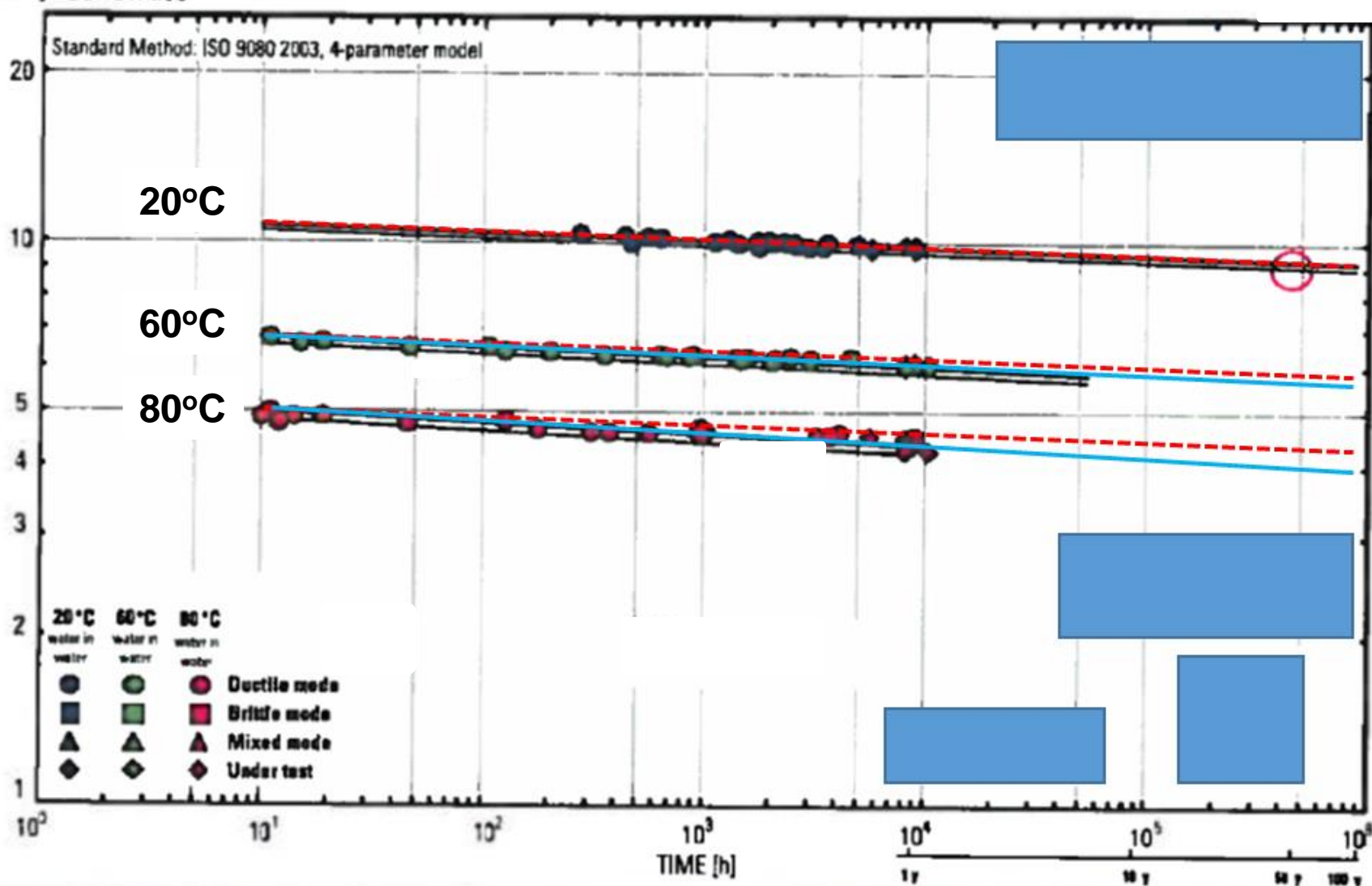


#### Brittle fracture:

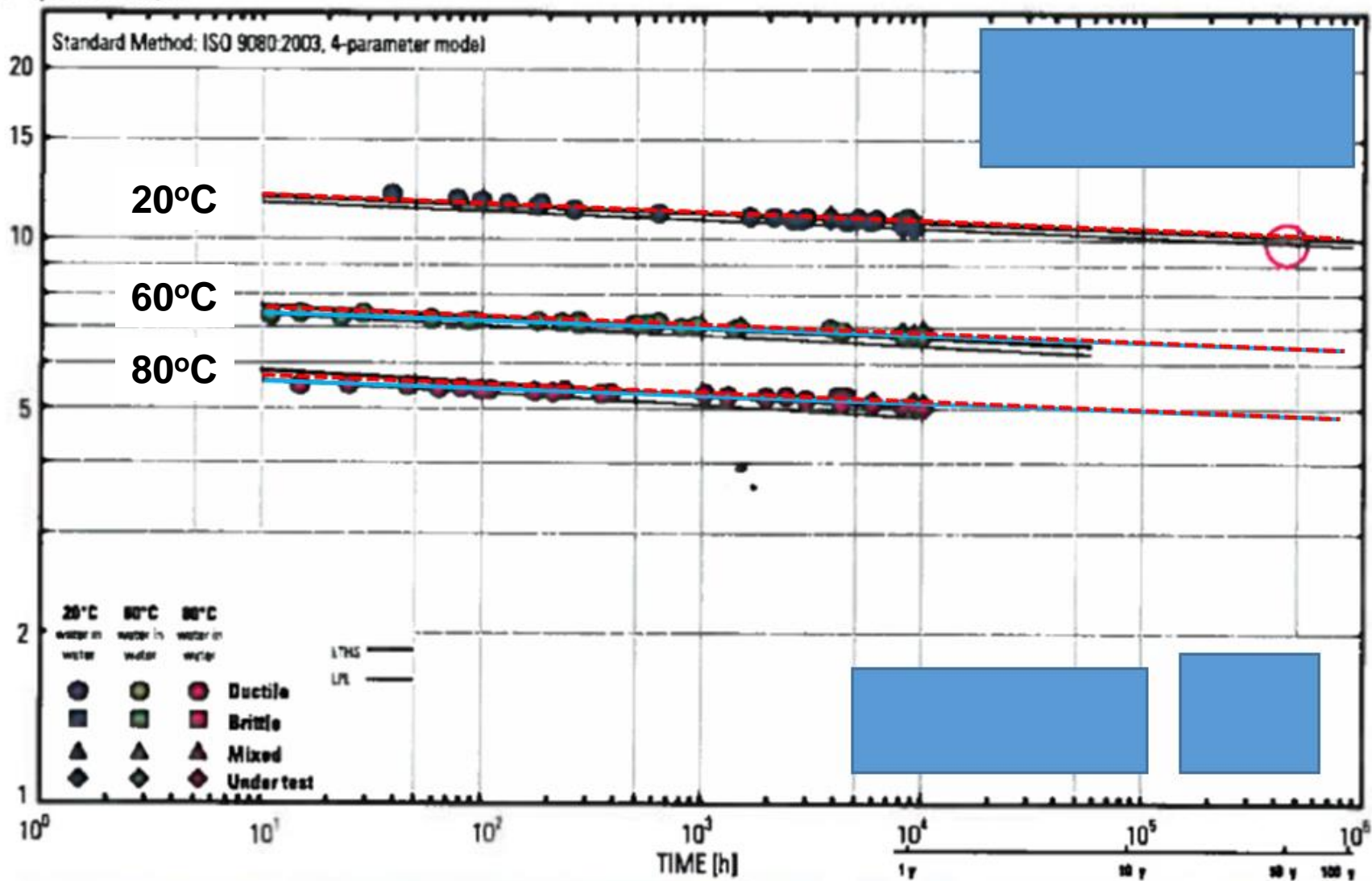
- at a low stress level
- after a long incubation period (in years)
- need of short-term tests to evaluate the long-term performance (>100yrs)

## Some results based on ASTM D2837 and ISO9080 (long-term hydrostatic strength of plastic pipe)

[MPa] HOOP STRESS

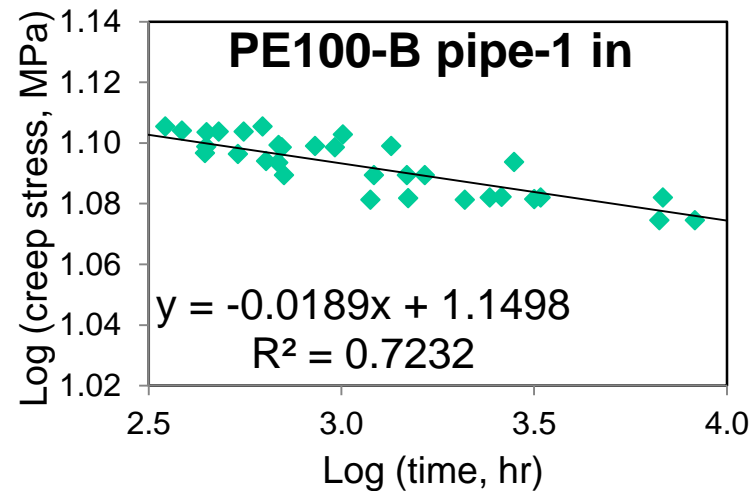
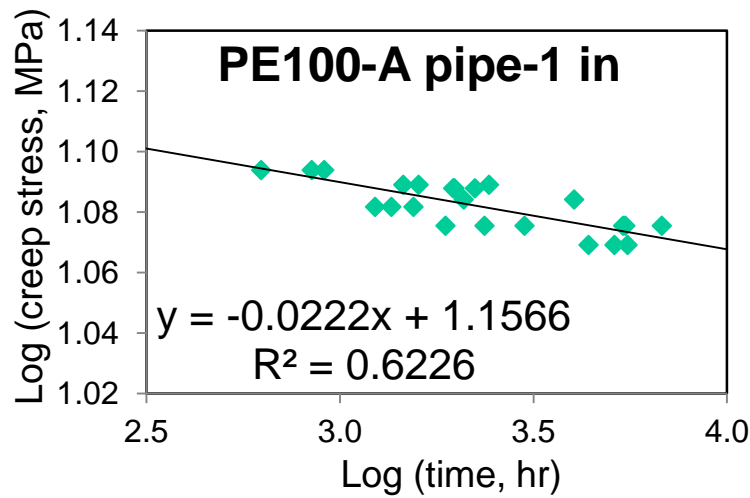


[MPa] HOOP STRESS



## Nature of long-term creep tests:

### Hydrostatic test results - under constant loading



$$\text{Log}(\sigma) = a \times \text{Log}(t) + b$$

Uncertainty in time and stress:  $\Delta t = [t^{(1-a)} / (10^b a)] \Delta \sigma$

For  $t = 50$  yrs:

Time uncertainty in terms of stress uncertainty:  $\Delta t \text{ (yr)} \approx -230 \Delta \sigma \text{ (MPa)}$

**Can we predict long-term performance of plastic pipe?**

# Outline

- Our idea for the cause of the DB transition (mechanism)
- Application of the idea to creep test results
- A new test method
- Evaluation of the new test method
- Recent research progress and results
- Conclusions
- Future work
- Acknowledgement

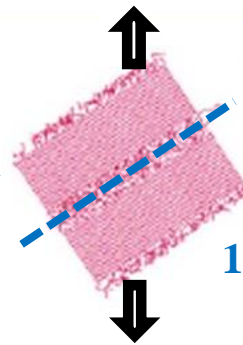


# Idea for the cause of the DB transition

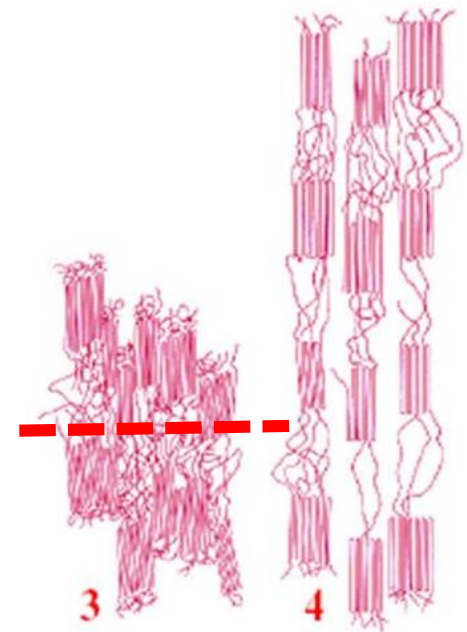
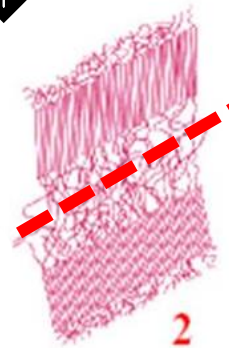
Different mechanisms for brittle and ductile fracture  
(Low stress) (High stress)

**Fracture: a local phenomenon after deformation**

- **Brittle fracture at a low stress** →  
(In the amorphous only)



- **Ductile fracture at a high stress** →  
(Including the crystalline phase)



- Below the critical stress level, deformation (fracture) occurs only in the amorphous phase, thus brittle
- Above the critical stress level, crystalline phase is involved in the deformation process, resulting in ductile fracture
- To determine the lowest stress level that allows the crystalline phase to be involved in the plastic deformation process

## Detecting the DB transition:

(based on the three-coefficient method in ASTM D2837)

$$\log(t) = A + \frac{B}{T} + \frac{C}{T} \log(S)$$

$t$ : creep failure time

$S$ : creep stress

$T$ : Temperature (K)



$$\log(S) = \frac{T}{C} \log(t) - \frac{A}{C} \left( T + \frac{B}{A} \right)$$

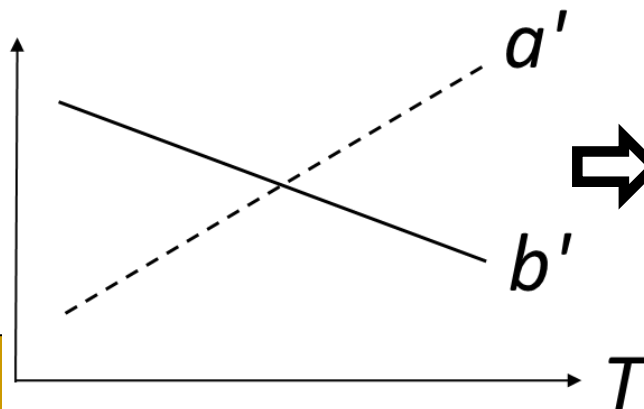


$$\boxed{\log(S) = a' \log(t) + b'}$$

$$a' = \frac{T}{C}$$

$$b' = -\frac{A}{C} \left( T + \frac{B}{A} \right) = -A a' - \frac{B}{C}$$

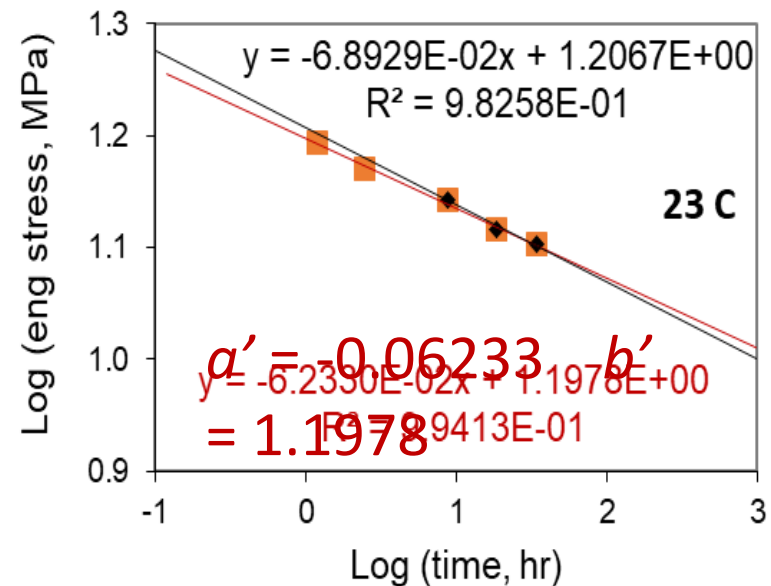
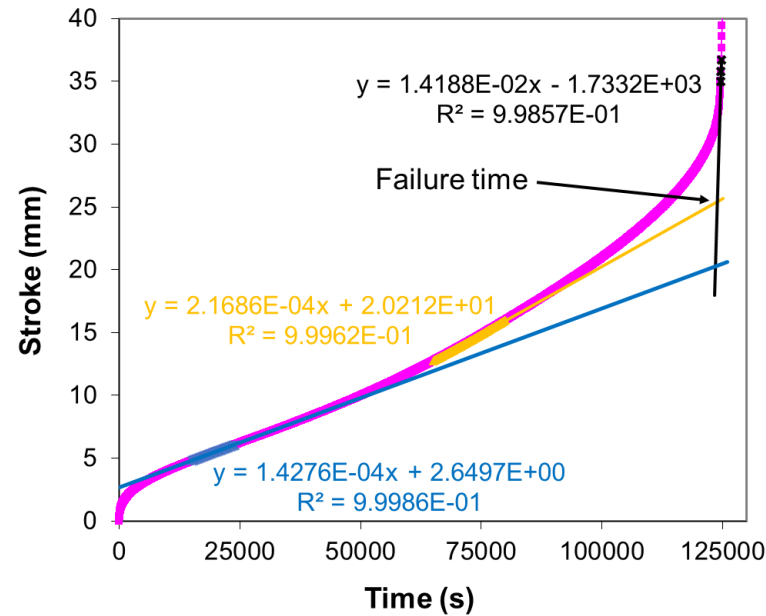
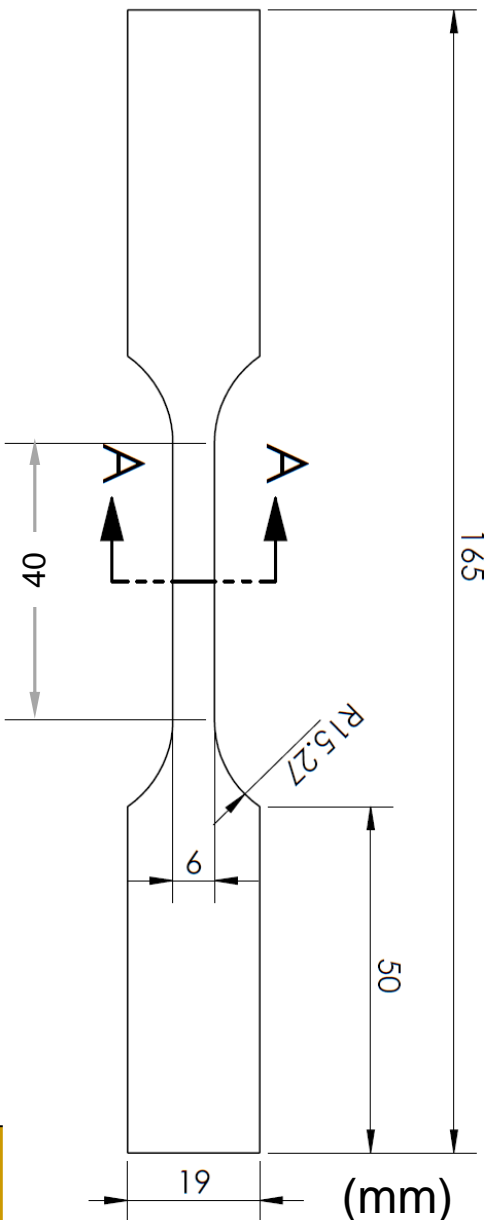
Creep tests at different temperatures



⇒ To detect the change of trend lines for  $a'$  and  $b'$

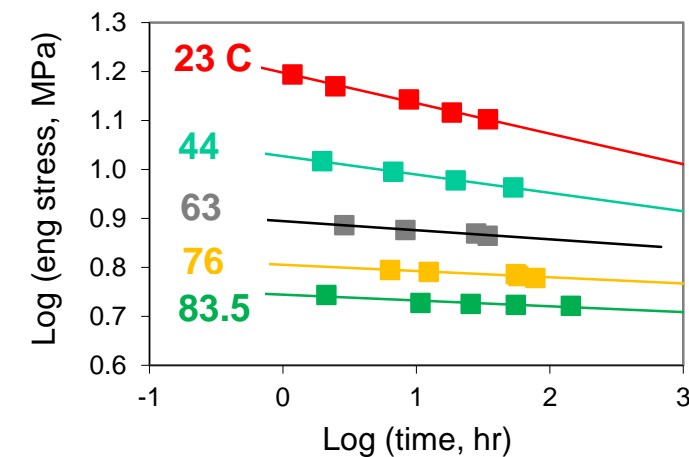
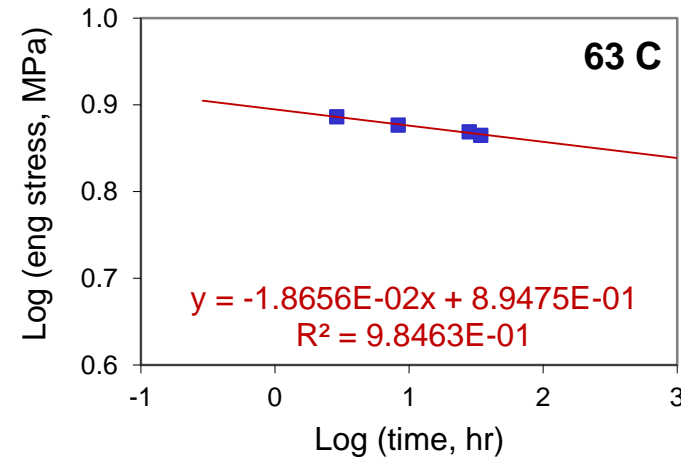
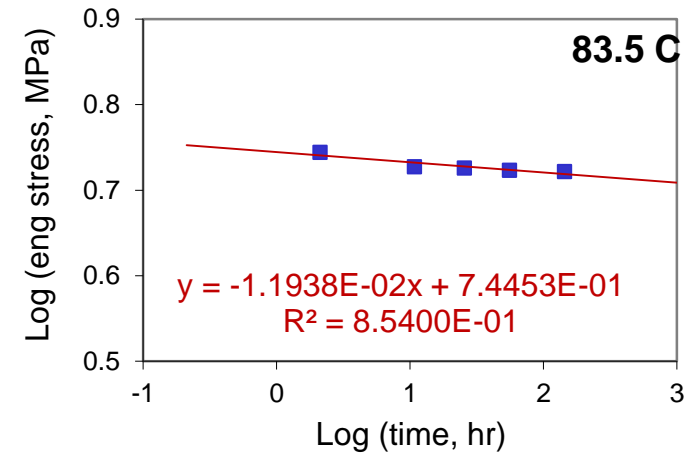
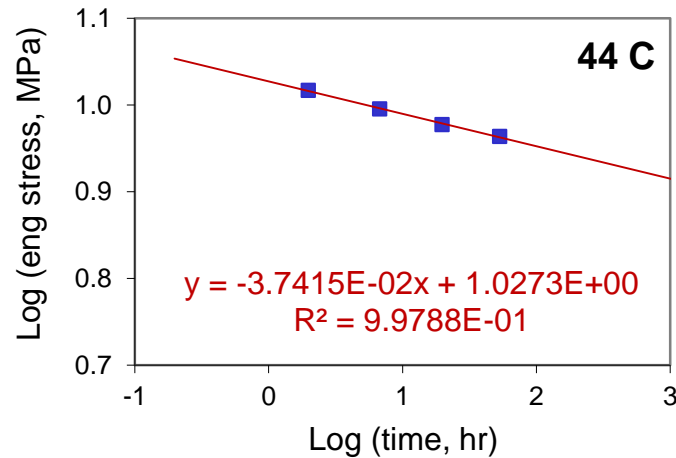
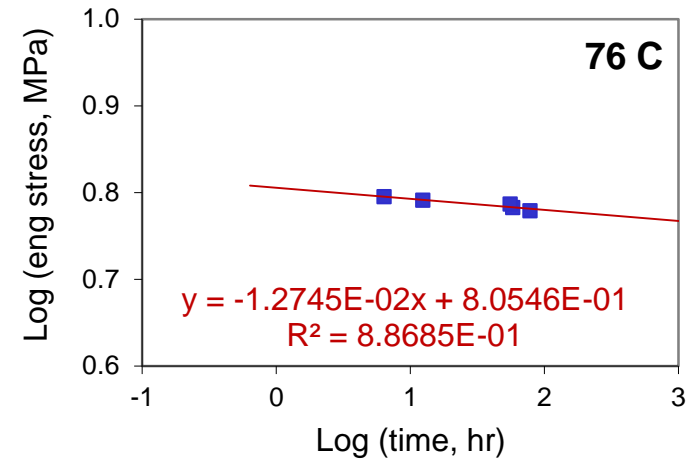
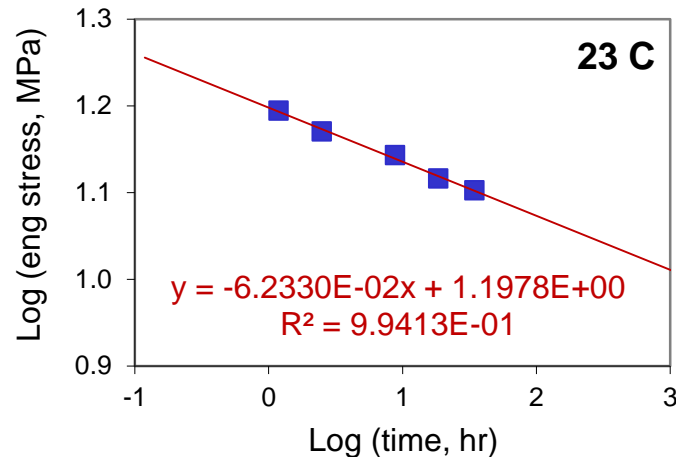


# Short-term creep test (HDPE plate with $\rho = 0.941 \text{ g/cm}^3$ )

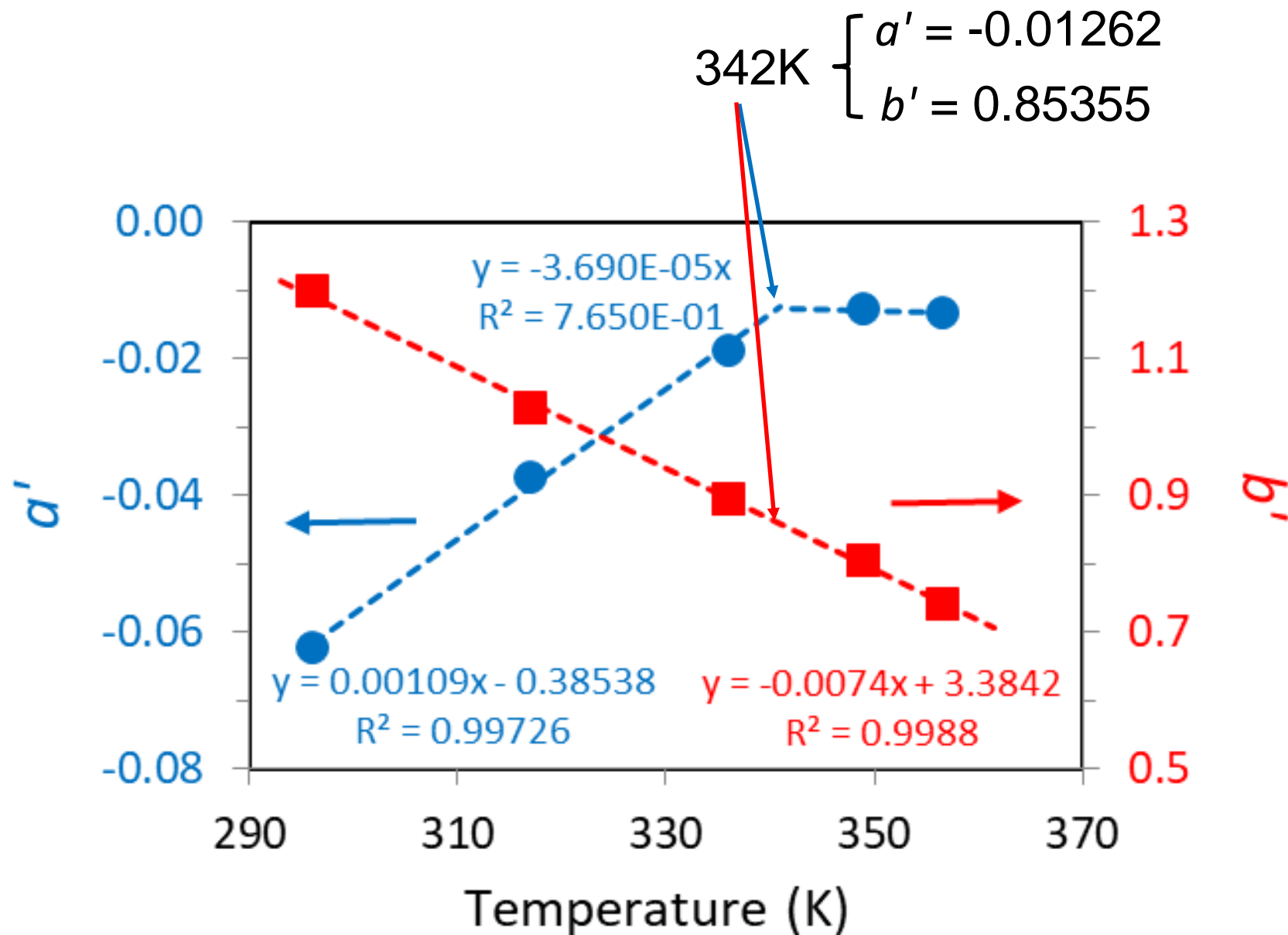


## Summary of short-term creep tests (23 to 84°C)

- Each took 2 to 60 hrs to complete, except one at 76°C and one at 83.5°C
- All failed though neck formation (ductile)



$$\log(S) = a' \log(t) + b'$$



## Time-temperature superposition

From ASTM D2837:  $\log(S) = \frac{T}{C} \log(t) - \frac{A}{C} \left( T + \frac{B}{A} \right)$

Our version:  $\log(S) = \underbrace{\left( \frac{T}{C} + D \right)}_{a'} \log(t) - \underbrace{\frac{A}{C} \left( T + \frac{B}{A} \right)}_{b'}$

### For the PE plaque

$T < 342 \text{ K}$ :  $a': \frac{T}{C} + D = 0.00109 T - 0.38538 \Rightarrow \begin{matrix} C = 917.4 \\ D = -0.38538 \end{matrix}$

$b': -\frac{A}{C} \left( T + \frac{B}{A} \right) = -0.0074 T + 3.3842 \Rightarrow \begin{matrix} A = 6.789 \\ B = -3104.7 \end{matrix}$

$T > 342 \text{ K}$ :  $a': \frac{T}{C} + D = -3.69 \times 10^{-5} T \Rightarrow \begin{matrix} C = -27100 \\ D = 0 \end{matrix}$

$b': -\frac{A}{C} \left( T + \frac{B}{A} \right) = -0.0074 T + 3.3842 \Rightarrow \begin{matrix} A = -200.5 \\ B = 91712 \end{matrix}$



**T < 342 K:**

$$\log(S) = (0.00109 \textcolor{red}{T} - 0.38538) \log(t) + 0.0074 \times (457.32 - \textcolor{red}{T})$$

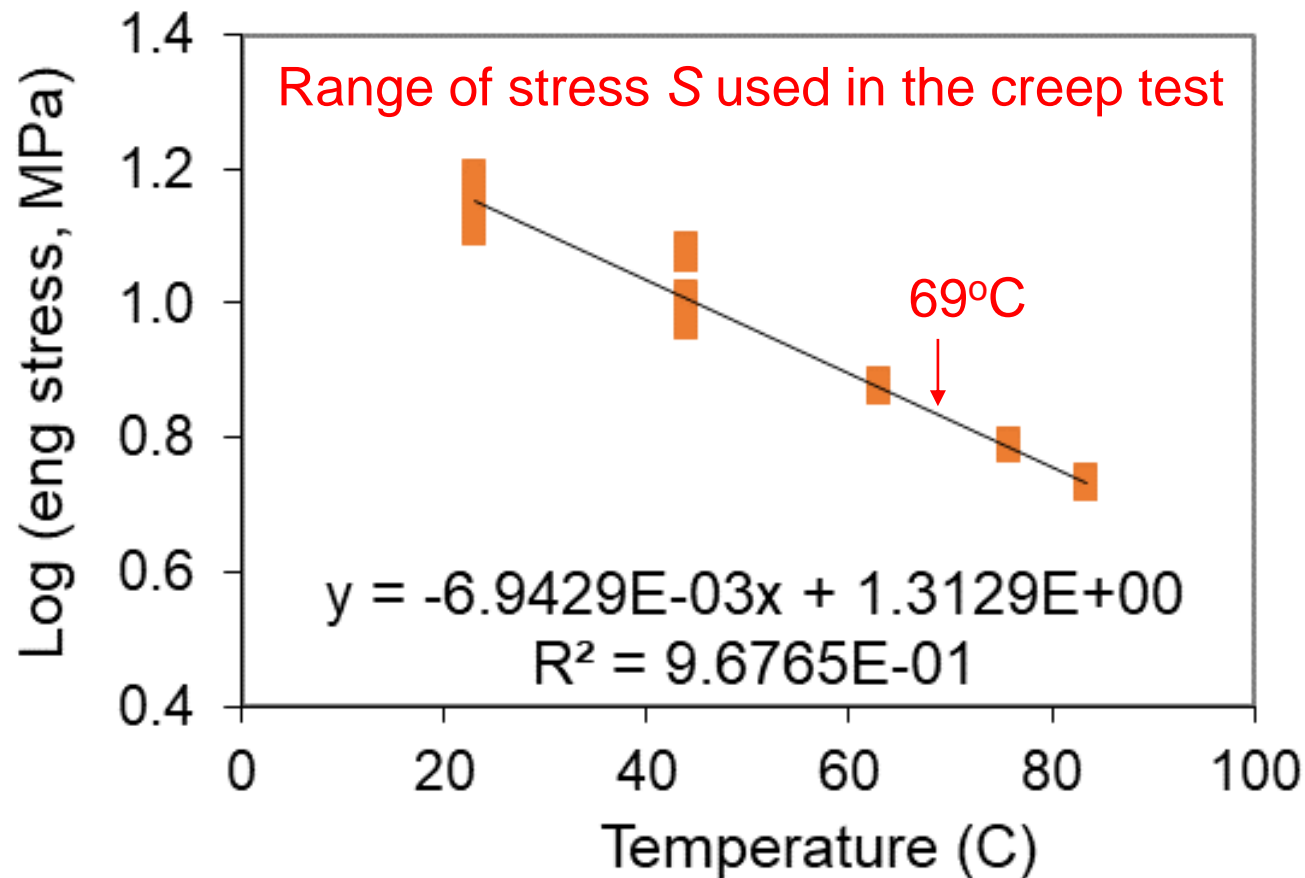


**T > 342 K:**

$$\log(S) = (-3.69 \times 10^{-5} \textcolor{red}{T}) \log(t) + 0.0074 \times (457.32 - \textcolor{red}{T})$$

At transition,  $\textcolor{red}{T} = 342 \text{ K}$

**Critical stress at the DB transition:**  $\log(S) = a' \log(t) + b'$



Critical stress of the transition, at 69°C (342K),  $S = 6.82$  MPa

$$\log(S) = (0.00109 T - 0.38538) \log(t) + 0.0074 \times (457.32 - T)$$

@23°C, with  $S = \underline{6.82 \text{ MPa}}$ , failure time  $t = 546,645$  hrs (62.4yrs)

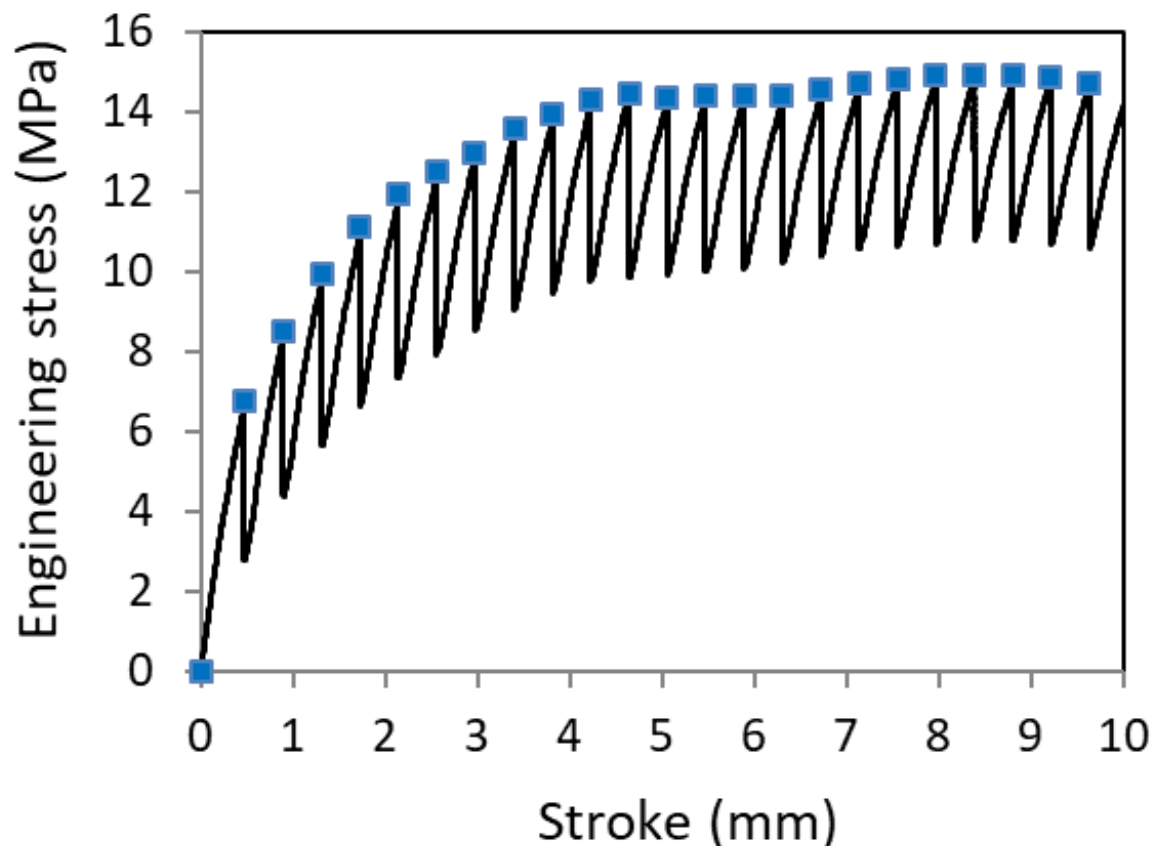
## New test method to determine critical stress for DB transition

**Idea:** Change of the deformation mechanism 

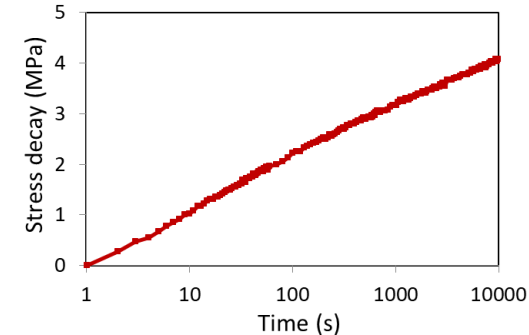
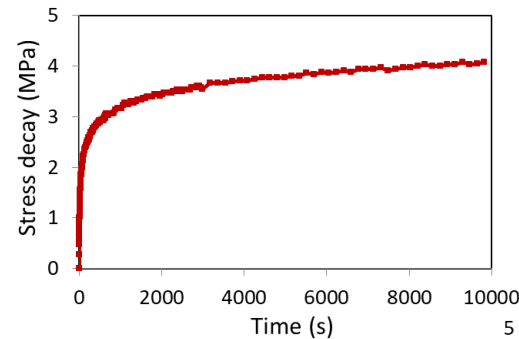
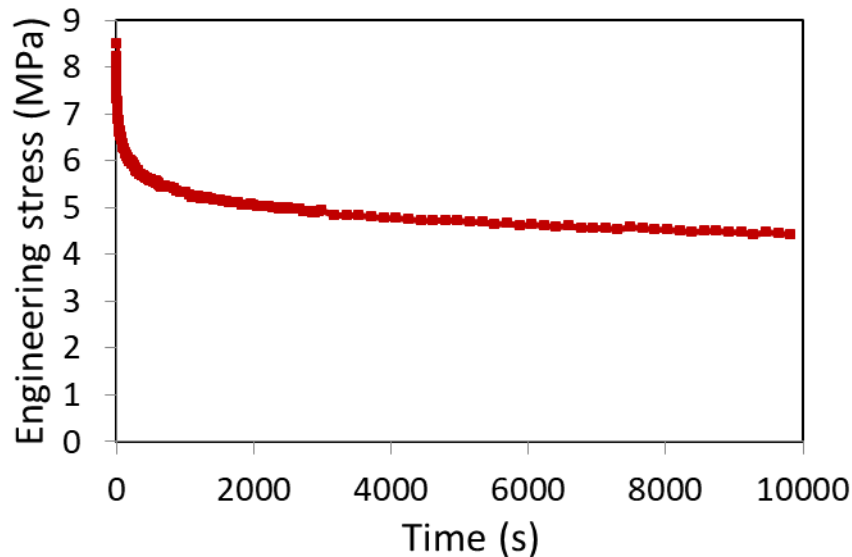
Change of relaxation behavior

Change of the relaxation behavior  Critical point for transition

Multi-relaxation test on one specimen



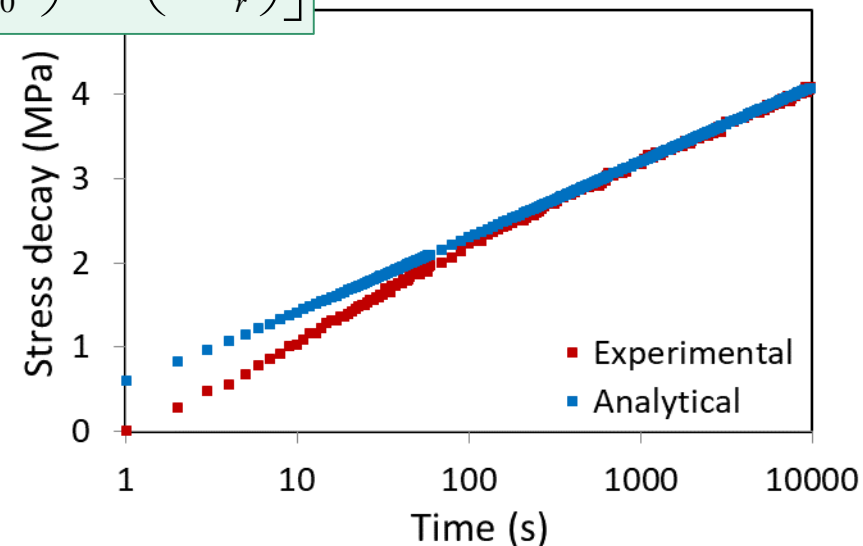
# Sample of analysis on data from the stress relaxation



$$\Delta\sigma_r = \sigma_r(0) - \sigma_r(t) = \sigma_r(0) - 2\sigma_0 \tanh^{-1} \left[ \tanh \left( \frac{\sigma_r(0)}{2\sigma_0} \right) \exp \left( -\frac{t}{\tau_r} \right) \right]$$

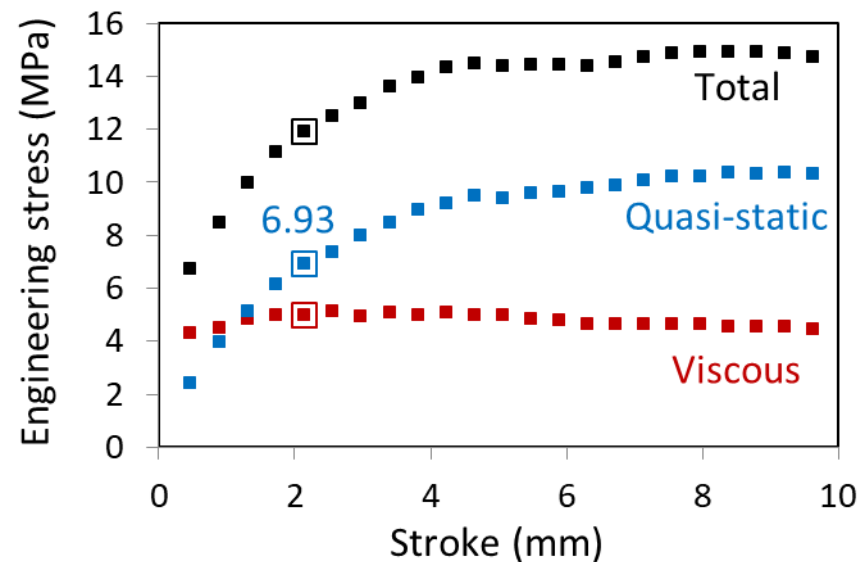
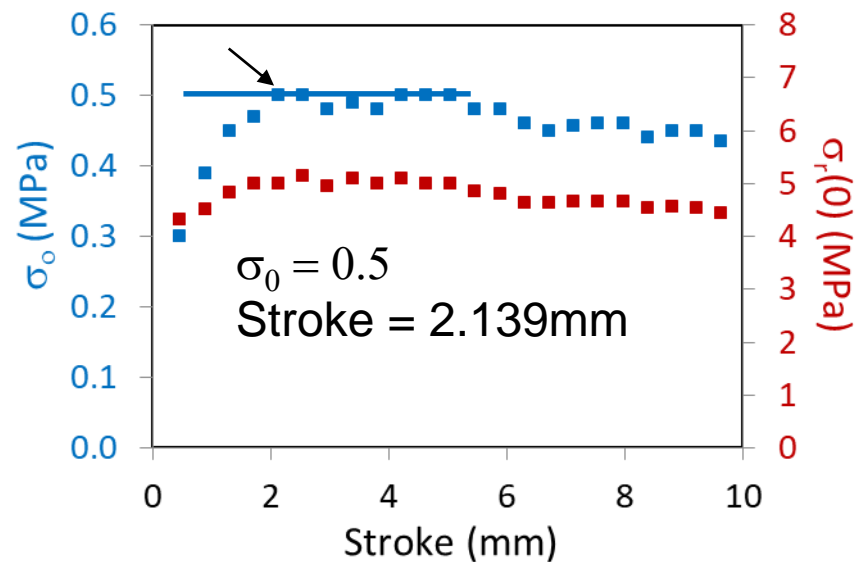
- K. Hong, A. Rastogi, G. Strobl. *Macromolecules* 37 (2004) 10165-73

$\tau_r$ : fixed at 16,000 s  
adjusting  $\sigma_0$  and  $\sigma_r(0)$

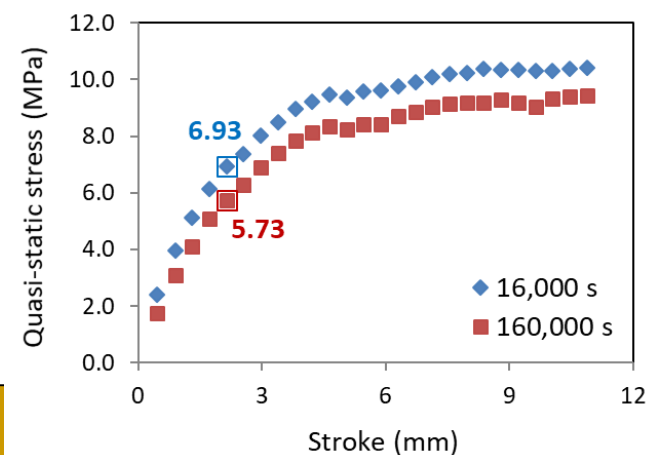
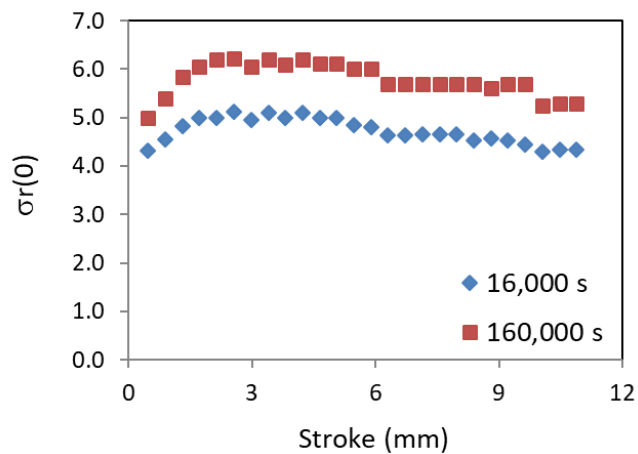
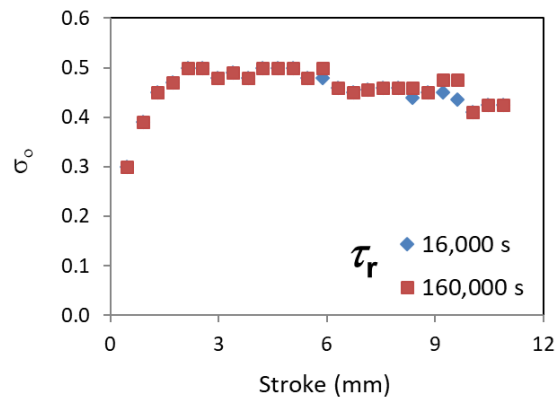




# Critical stress for DB transition (with $\tau_r = 16,000$ seconds)

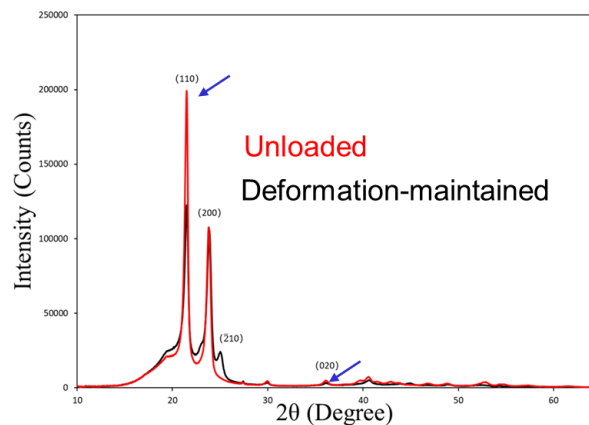


Critical stress from creep tests = 6.82 MPa

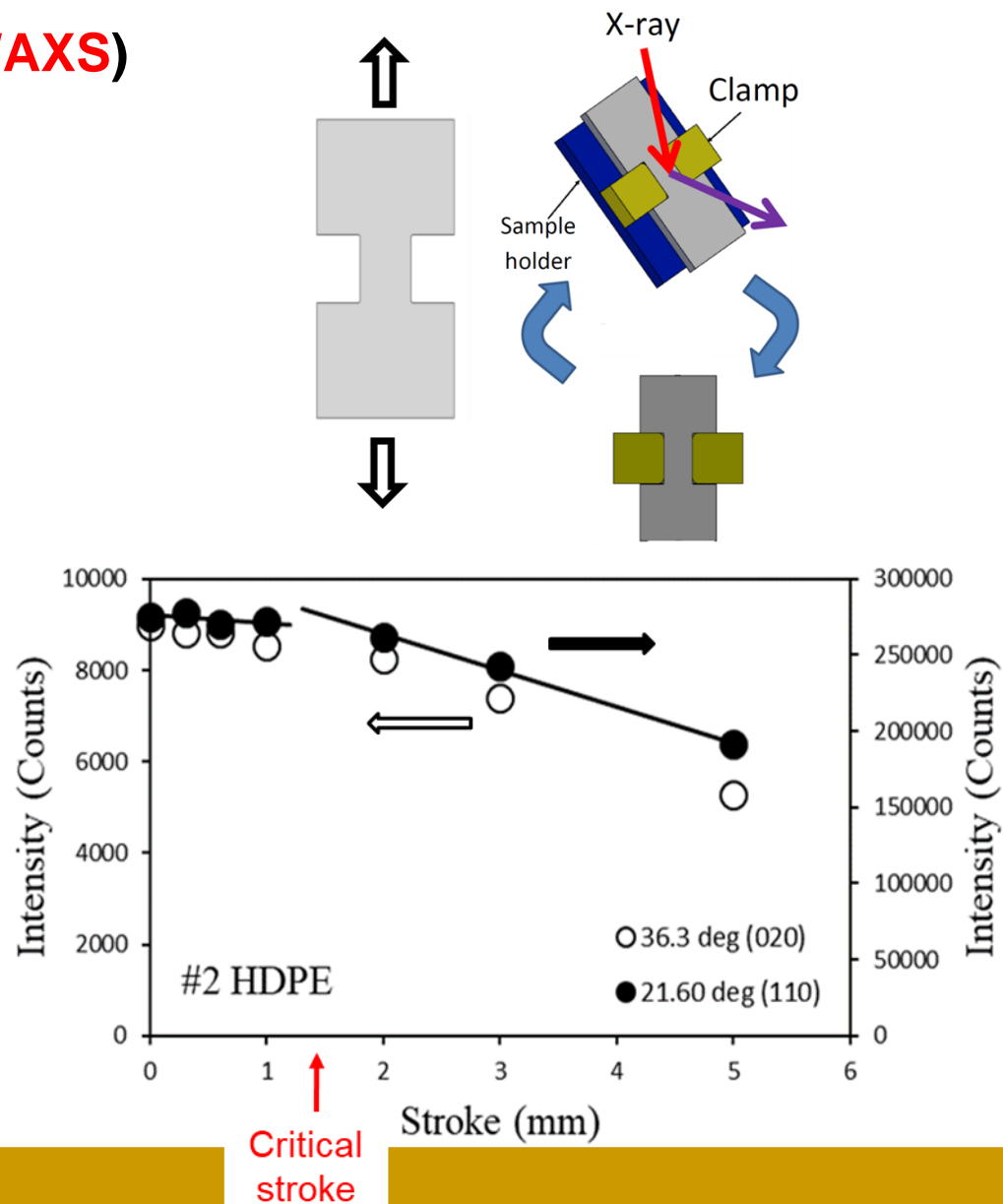
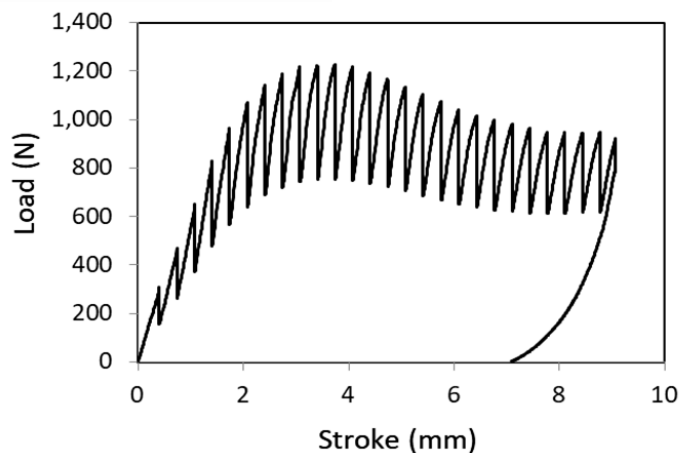


# Evidence on the crystalline phase involved in the deformation

- Wide-angle X-ray scattering (**WAXS**)



Multiple relaxation test

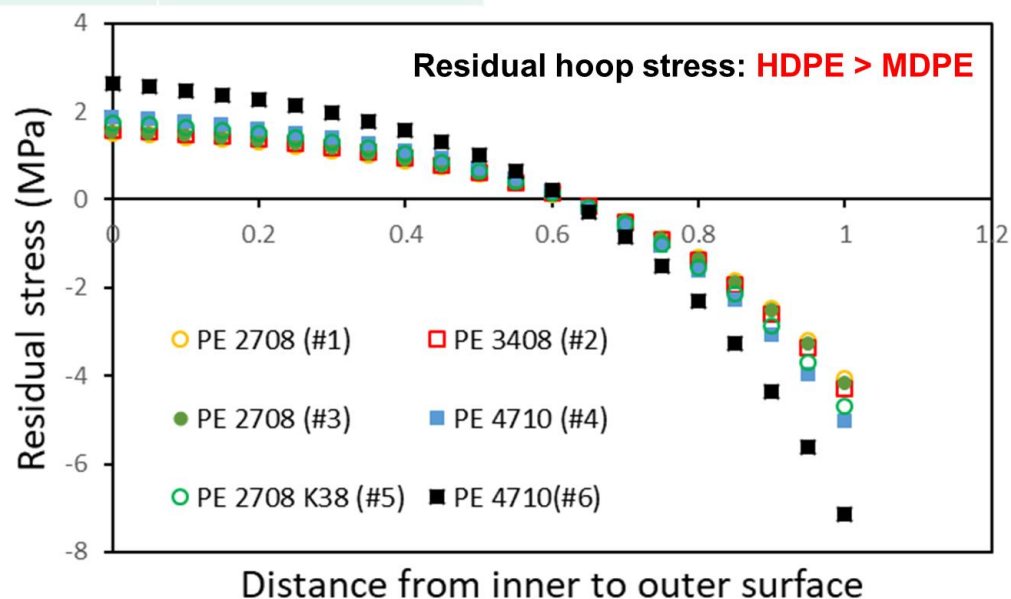


## Apply the concept to 2-inch PE pipes

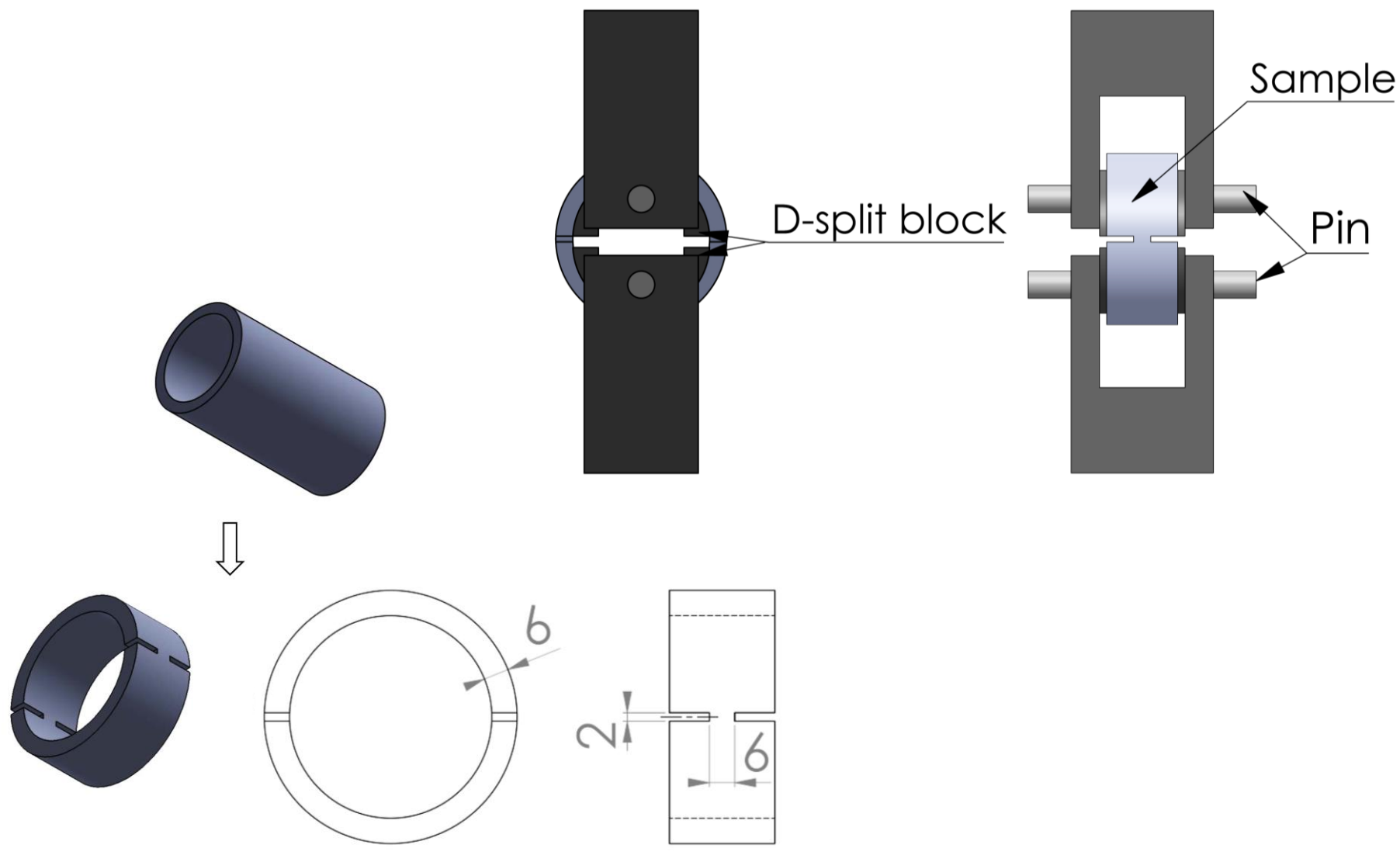
### Residual hoop stress: based on one-slit-ring method

J. Poduška, P. Hutař, J. Kučera, J. S. Andreas Frank, G. Pinter, and L. Náhlík. *Polym. Test.*, **54**, 288 (2016)

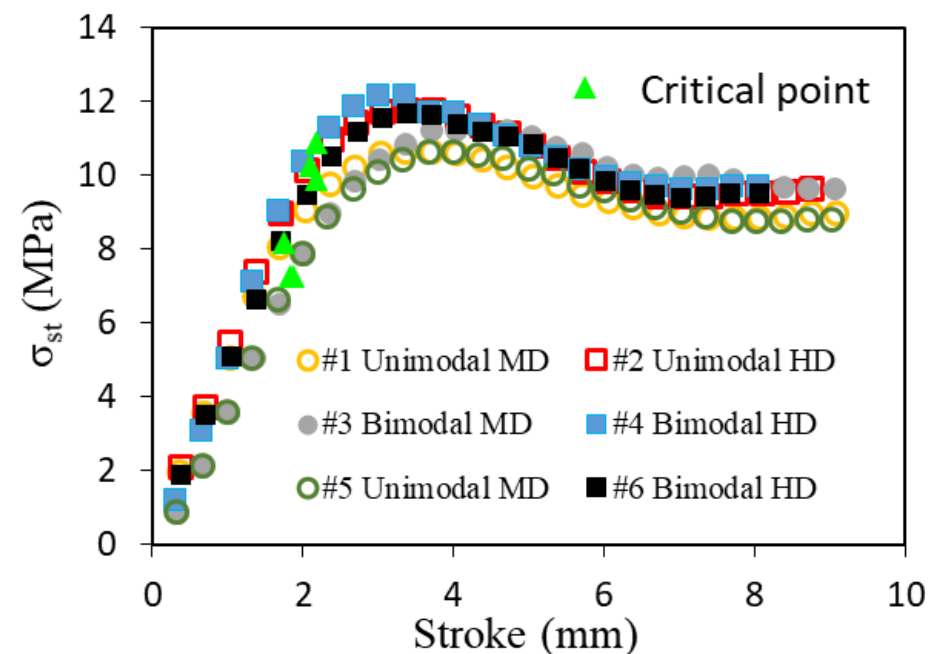
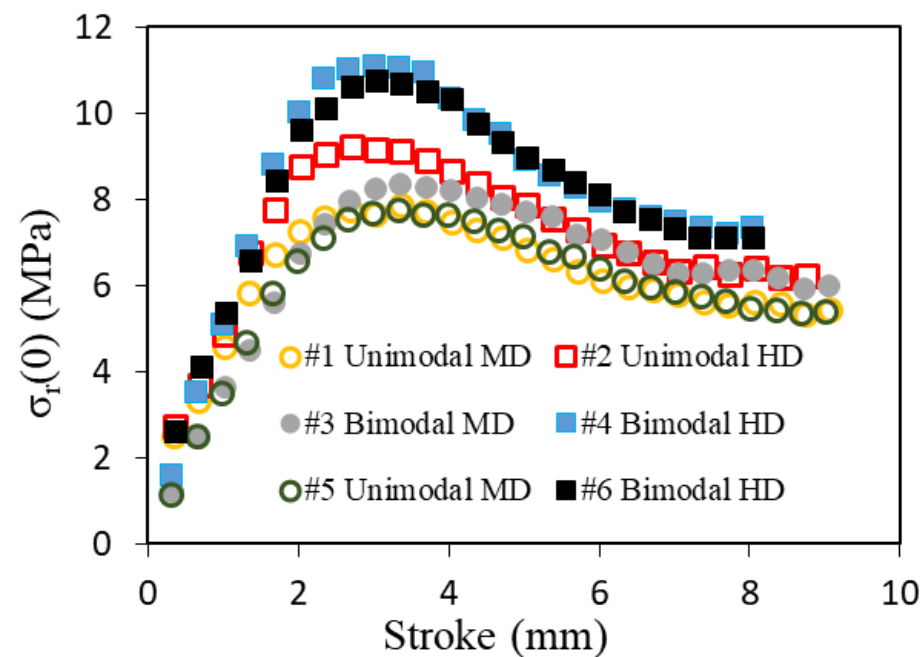
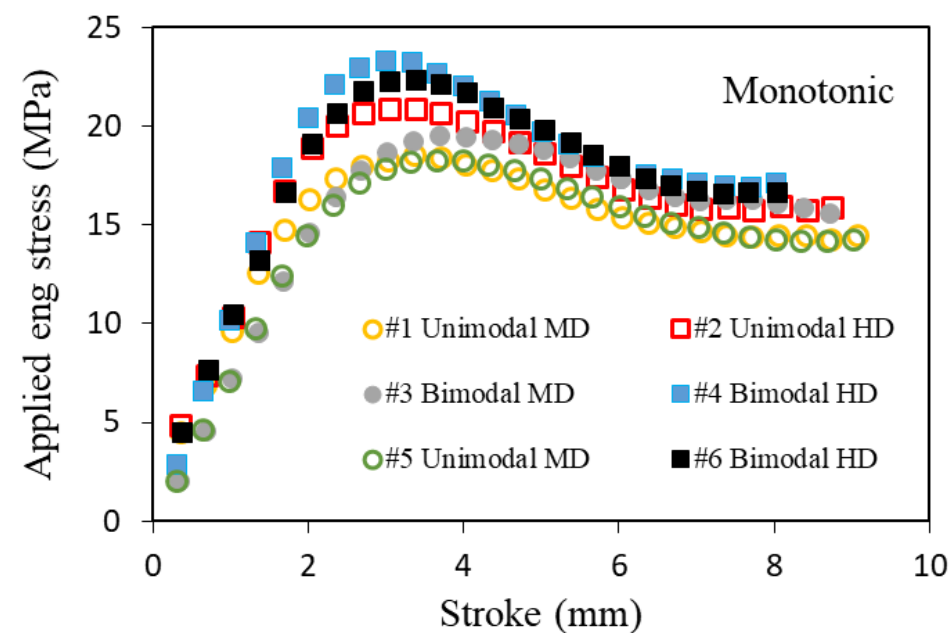
Material	Symbol	Density (g/cc)	Resin yield strength (MPa)
#1 Unimodal MDPE	PE2708-M-U1	0.940	19.3
#2 Unimodal HDPE	PE3408-H-U	0.944*	22.8*
#3 Bimodal MDPE	PE2708-M-B	0.940	19.3
#4 Bimodal HDPE	PE4710-H-B1	0.949	24.8
#5 Unimodal MDPE	PE2708-M-U2	0.940	19.3
#6 Bimodal HDPE	PE4710-H-B2	0.949	>24.1



## Multi-relaxation tests



## Test results – 2-in pipe

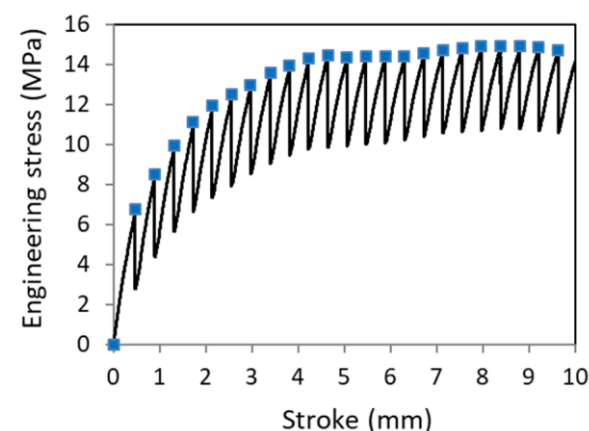
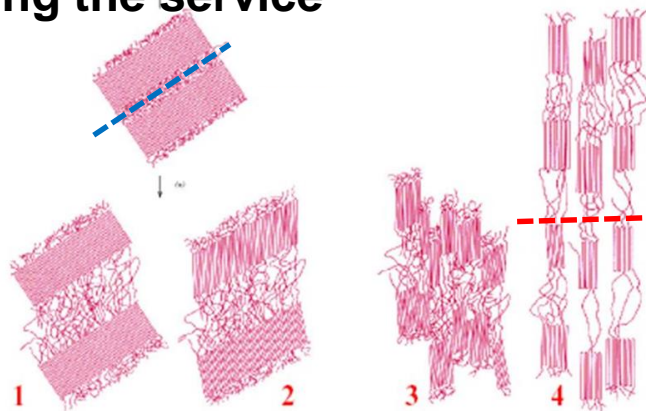




Pipe code	Critical area strain	Quasi-static stress at critical point (MPa)	Hydrostatic Design Basis at 23 °C (MPa)
PE2708-M-U1	0.05	8.18	8.62
PE3408-H-U	0.09	10.25	11.03
PE2708-M-B	0.04	7.25	8.62
PE4710-H-B1	0.07	10.86	11.03
PE2708-M-U2	0.04	7.25	8.62
PE4710-H-B2	0.08	9.88	11.03

## Conclusions

- Proposed and verified the **transition for deformation mechanism** in PE pipe when subjected to in-service loading conditions
- Developed a **short-term, multi-relaxation test method** to determine **critical stress** for the deformation transition and predict **time** for its occurrence during the service



## Future Work

- To apply the research approach to PE pipe, taking into account residual hoop stress in the evaluation for their long-term performance
- To explore possibility of applying this test approach to evaluation of long-term performance of other plastics and FRP, and their load-carrying capability



## Acknowledgement

- CSC scholarship for Na Tan's Ph.D. study
- Imperial Oil (University Research Awards program) for funding and supply of PE plaques
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- Machine shop staff for specimen preparation
- Ernest Lever and Tony Kosari from Gas Technology Institute Chicago (GTI) for supply of PE pipes
- Wajdy Ateerah from Polytubes for supply of PE pipes

# Thank You!



# PE4710-H-B-1in

